

# Concentration



SCH 3U

# Learning Goals



By the end of this lesson students will be able to:

- Solve problems related to the concentration of solutions
- Performing calculations involving moles, and express the results in various units (ppm, ppb)

# Concentration of Solutions



- **Concentration**- the ratio of the quantity of solute to the quantity of solution or solvent; usually quantity of solute per unit volume of solution.
  - g/g of H<sub>2</sub>O, g/L of H<sub>2</sub>O
- A solution with a relatively **high quantity of solute** compared to the volume of solution is a **concentrated solution**
- A solution with a relatively **low quantity of solute** compared to the volume of solution is a **dilute solution**

# Concentration



Usually found on consumer products:

$$P_{m/v} = M_{\text{Solute}} / V_{\text{Solution}} \times 100\%$$

- Example a product label of a hydrogen peroxide bottle may indicate 6% M/V. This means that 6g of every 100mL of solution is the solute: hydrogen peroxide.

$$P_{v/v} = V_{\text{Solute}} / V_{\text{Solution}} \times 100\%$$

- Example: Label on a bottle of isopropyl alcohol states: 50% by volume This means that 50mL out of every 100mL of solution is the solute: isopropyl alcohol

$$P_{M/M} = M_{\text{Solute}} / M_{\text{Solution}} \times 100\%$$

- Example, 5% M/M benzoyl peroxide is an active ingredient in many face creams. This means about 5 g of every 100g is benzoyl peroxide

# Sample Problem



20g of herbicide is dissolved in water and the resultant solution has a volume of 55ml. What is the mass/volume percent?

$$P_{m/v} = \frac{M_{\text{Solute}}}{V_{\text{Solution}}} \times 100\%$$

$$= \frac{20\text{g}}{55\text{ml}} \times 100\%$$

$$= 36\%_{m/v}$$



What is the concentration of the pesticide in g /100 ml?

$$\begin{aligned} P_{m/v} &= \frac{M_{\text{Solute}}}{V_{\text{Solution}}} \times 100\% \\ &= \frac{20\text{g}}{100\text{ml}} \times 100\% \\ &= 20\%_{m/v} \end{aligned}$$



The recommended concentration of pesticide is 20%<sub>m/v</sub>.  
How much herbicide would you need to add to make 1.5 L of solution?

$$P_{m/v} = \frac{M_{\text{Solute}}}{V_{\text{Solution}}} \times 100\%$$

$$20\% \rightarrow 20/100 \rightarrow 0.2$$

$$0.2 = \frac{Xg}{1500ml}$$

$$X = 0.2 \times 1500ml$$

$$X = 300g$$

## Sample Problem 2



Rubbing alcohol is 70% by volume propanol. How much propanol would be in 500 ml of rubbing alcohol?

$$P_{v/v} = \frac{V_{\text{Solute}}}{V_{\text{Solution}}} \times 100\%$$

$$70\% = \frac{V_{\text{Solute}}}{500\text{ml}} \times 100\%$$

$$0.7 = \frac{V_{\text{Solute}}}{500\text{ml}}$$

$$V_{\text{Solute}} = 0.7 \times 500\text{ml} = 350\text{ml}$$



## Sample Problem 3



The concentration of gold is measured in Karats with 24k being pure gold. Calculate karat value for a piece of gold that contains 2.86 g of gold and has a total mass of 4.9 g.

$$\begin{aligned} P_{m/m} &= \frac{M_{\text{Solute}}}{M_{\text{Solution}}} \times 100\% \\ &= \frac{2.86\text{g}}{4.9\text{g}} \times 100\% \\ &= 58\%_{m/m} \end{aligned}$$

# PPM and PPB



- Chemists often work with concentrations that are extremely low
- For this reason very **dilute concentrations** are often expressed in:
  - Parts per million (**ppm**)
  - Parts per billion(**ppb**)
  - Even parts per trillion(**ppt**)

# PPM and PPB



$$1 \text{ kg} = 1 / 1\,000 \text{ g} = 1 / 1\,000\,000 \text{ mg}$$

$$1 \text{ kg} = 0.001 \text{ g} = 0.000\,001 \text{ mg}$$

$$1 \text{ mg/L} = 1 \text{ ppm}$$

The # of mg of solute per (kg or L) of solution = #ppm

The following table summarizes common mass ratios for solutions and solids.

Unit	Solutions		Solids	
ppm	mg/L	$\mu\text{g/mL}$	mg/kg	$\mu\text{g/g}$
ppb	$\mu\text{g/L}$	ng/mL	$\mu\text{g/kg}$	ng/g
ppt	ng/L	pg/mL	ng/kg	pg/g

# PPM and PPB



A solute concentration of:

1 ppm = 1g of solute / 1 000 000 (g or mL) of solution

To make this easier to work with:

$$\frac{m_{\text{solute}}}{m_{\text{solution}}} = \frac{Xg}{10^6 g_{\text{solution}}}$$

$$\text{ppm} = \frac{m_{\text{solute}}}{m_{\text{solution}}} \times 10^6$$

$$\text{ppb} = \frac{m_{\text{solute}}}{m_{\text{solution}}} \times 10^9$$

# Sample Problem



When the water of local beaches reaches 60 ppm E.coli bacteria health regulations say it must be closed. If a 5 liter water sample is found to contain 0.7 mg of E. coli bacteria does the beach need to be closed?

$$c_{\text{ppm}} = \frac{m_{\text{solute}}}{m_{\text{solution}}} \times 10^6$$
$$\text{ppm} = \frac{0.0007\text{g}}{5000\text{mL}} \times 10^6$$
$$= 0.00000014 \text{ g/mL} \times 10^6$$
$$= 0.14\text{ppm}$$

## Conversions

Assume: 1g = 1ml

0.7mg / 1000g → 0.0007g

5L \* 1000ml → 5000ml

# Sample Problem



When the water of local beaches reaches 60 ppm E.coli bacteria health regulations say it must be closed. If a 5 liter water sample is found to contain 0.7 mg of E. coli bacteria does the beach need to be closed?

$$\text{ppm} = \frac{m_{\text{solute}}}{m_{\text{solution}}}$$

$$\text{ppm} = \frac{0.7\text{mg}}{5\text{L}}$$

$$= 0.14 \text{ mg/L}$$

$$= 0.14\text{ppm}$$

Unit	Solutions	
ppm	mg/L	µg/mL

# Summary



- Mass/ Volume:  $P_{m/v} = \frac{M_{\text{Solute}}}{V_{\text{Solution}}} \times 100\%$
- Volume/volume:  $P_{v/v} = \frac{V_{\text{Solute}}}{V_{\text{Solution}}} \times 100\%$
- Mass/Mass:  $P_{m/m} = \frac{M_{\text{Solute}}}{M_{\text{Solution}}} \times 100\%$
  
- ppm: parts per million
  - 1ppm = 1g of solute / 1 000 000 (g or mL) of solution
  
- ppb: parts per billion
  - 1ppb = 1g of solute/1 000 000 000 (g or mL) of solution

# Homework



- Complete the Exit Card
- Complete Worksheet